

Built-In Mathematical Functions

C++ name	operation	Example Use	Value
<code>sqrt</code>	square root	<code>sqrt(2.0)</code>	= 1.414214
<code>pow</code>	to-the-power-of	<code>pow(10.0, 3.0)</code>	= 1000.0
<code>exp</code>	<i>e</i> to-the-power-of	<code>exp(1.0)</code>	= 2.718282
<code>log</code>	natural logarithm	<code>log(2.718282)</code>	= 1.0
<code>log10</code>	base-10 logarithm	<code>log10(1000.0)</code>	= 3.0
<code>sin</code>	sine (see note)	<code>sin(0.785398)</code>	= 0.707107
<code>cos</code>	cosine (see note)	<code>cos(1.047198)</code>	= 0.5
<code>tan</code>	tangent (see note)	<code>tan(0.785398)</code>	= 1.0
<code>asin</code>	arc-sine (see note)	<code>asin(0.707107)</code>	= 0.785398
<code>acos</code>	arc-cosine (see note)	<code>acos(0.5)</code>	= 1.047198
<code>atan</code>	arc-tangent (see note)	<code>atan(1.0)</code>	= 0.785398
<code>atan2</code>	direction (see note)	<code>atan2(1.0, 1.0)</code> <code>atan2(1.0, -1.0)</code>	= 0.785398 = 2.356194

Notes:

Natural Logarithm is the logarithm base-*e* that is preferred in calculus, usually called “*ln*”.

Base-10 Logarithm is the kind of logarithm commonly used in human calculations.

The trigonometric functions use radians and not degrees. If you want the sine of 45°, do not use `sin(45.0)`; to convert degrees to radians multiply by $\pi/180$, so the sine of 45° is `sin(45*3.14159/180)`. Similarly for the arc-functions, the results are in radians, so although the arc-sine of 0.5 is 30°, `asin(0.5)` is 0.5236. To get the answer in degrees, you must use `asin(0.5)*180/3.14159`.

`atan2(x, y)` calculates the direction from the point (0,0) to the point (x,y). Straight up, or North, or the +y direction is 0. Right, or East, or +x is 90°. Left, West, or -x is -90°. North-East is 45°, etc. Down, South, or -y can be either 180° or -180°. Naturally, the results are really in radians, so for degrees, again use `asin(0.5)*180/3.14159`.

Special Constants

Constant	Correct Value	How to get it in C++
π , pi	3.14159265358979323846	<code>acos(-1.0)</code>
<i>e</i> , base of natural logarithms	2.7182818284590452354	<code>exp(1.0)</code>

It is not exactly convenient to have to remember those formulae, but that is a lot better than the alternative of having to memorize the values exactly.